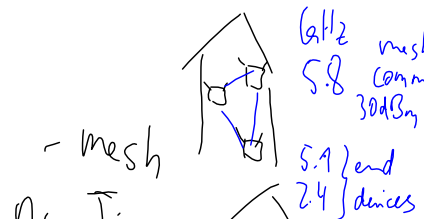


focus 2015

- > Presentation of Slobodan on "Propagation equation"
- > Presentation of Marshad on "Radio channels in WPAN"
- > also: Shannon, Capacity
- > define 2nd presentation

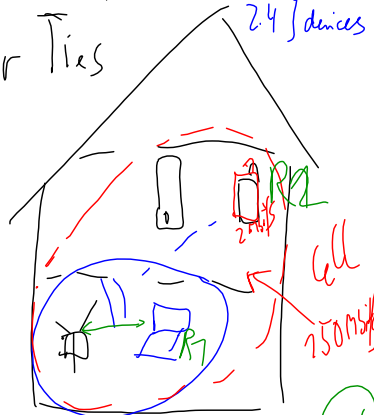
Repeater

Eye SaaS
- admin



Air Ties

Mob. Le. UMS
Cell breathing



Basic Internet.org

not timing

- content type filtering
- only compressed text & pictures
- Kinshasa, DRC Congo

delay
upstairs

4m → 13ns
12m → 40ns

cell = 600 Mbit/s

$$t = \frac{s}{c} = \frac{4m}{3e8m/s} = 13ns$$

$$c = \frac{s}{t}$$

R2 only 2 Mbit/s

SNR
multipath fading
high power → high noise to R1

for 29Oct

- Slobodan: (I) calculation of receive power and (II) Shanon capacity values
- Marshed: short presentation of paper
- Josef to ask Pedro to present AirTies meas
- agree on 2nd topic
- (Basic Internet) presentation

Exercise:

$$P_R = P_T G_T G_R \left(\frac{\lambda}{4\pi R} \right)^2$$

$$P_R [dB] = 10 \log \left(\dots \right)$$

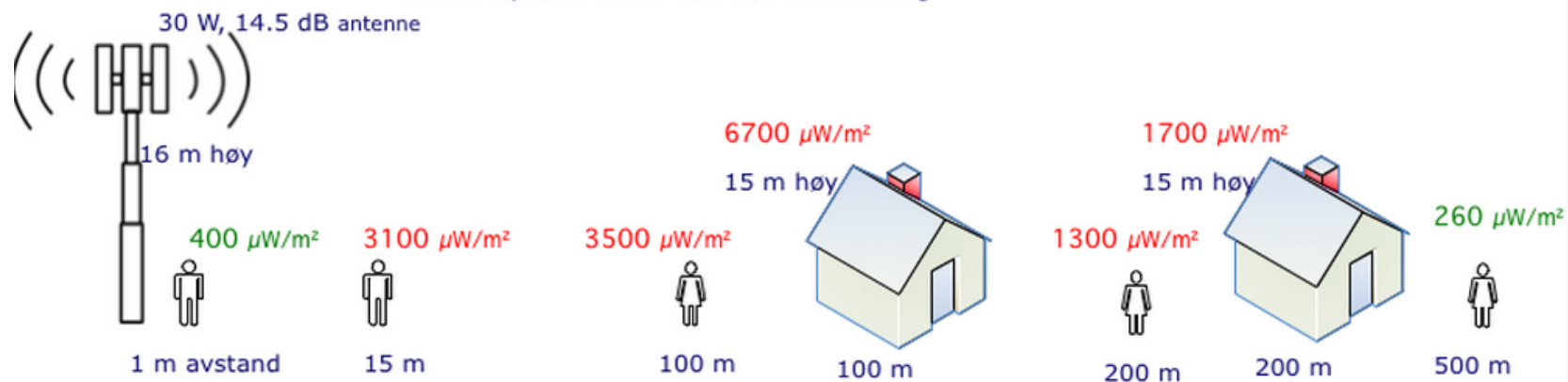
to do

$$L = 92.4 + 20 \log(d [km]) + 20 \log(f [GHz])$$

L =	92.4	+	20	log	(d [km])	+	20	log	(f [GHz])
	→ 98.4		6										

Mobilmast strålingsverdier in mW/m²

kilde: <http://cwi.unik.no/wiki/Mobilstraaling>



Size of this preview: 800 × 244 pixels. Other resolution: 840 × 256 pixels.

[Original file](#) (840 × 256 pixels, file size: 56 KB, MIME type: image/png)

File history

Free Space Propagation

develop propagation equation, see (<http://www.antenna-theory.com/basics/friis.php>)

Power received in an area in a distance R from transmitter:

- area of a sphere is $A_s = 4 * \pi * R^2$
- power transmitted from isotropic antenna is P_t
- antenna area of receiver is $A_r = \lambda^2 / 4\pi$
- power received in $A_r = P_r$

$$P_r = P_t * A_r / A_s = P_r = P_t * A_r / (4 * \pi * R^2)$$

thus

$$P_r = P_t G_t G_r \left(\frac{\lambda}{4\pi r} \right)^2$$

- convert into dB
- provide examples for $f = 10 \text{ MHz}$, 1 GHz , 100 GHz
- discuss influences on radiation pattern

How much is 0 dB_m and 10 dB_m?

- Convert dBm to mW is: $\text{mW} = 10^{(x/10)}$, $x = \text{number of dBm}$
- Convert mW to dBm is: $\text{dBm} = 10 * \log_{10}(y)$, $y = \text{number of mW}$

So you get:

- $0 \text{ dBm} = 10^{(0/10)} = 1 \text{ mW}$
- $10 \text{ dBm} = 10^{(10/10)} = 10 \text{ mW}$

Free space attenuation $L = 92,4 + 20 \log(d[\text{km}]) + 20 \log(f[\text{GHz}])$

Relation between propagation values

Field strength for a given isotropically transmitted power:

$$E = P_t - 20 \log d + 74.8$$

Isotropically received power for a given field strength:

$$P_r = E - 20 \log f - 167.2$$

Free-space basic transmission loss for a given isotropically transmitted power and field strength:

$$L_{bf} = P_t - E + 20 \log f + 167.2$$

Power flux-density for a given field strength:

$$S = E - 145.8$$

where:

- P_t : isotropically transmitted power (dB(W))
- P_r : isotropically received power (dB(W))
- E : electric field strength (dB(μ V/m))
- f : frequency (GHz)
- d : radio path length (km)
- L_{bf} : free-space basic transmission loss (dB)
- S : power flux-density (dB(W/m²)).

Taken from International Council for Science - [www.iucf.org/SSS2010/presentations/day2/Wilson\(Propagation\).ppt](http://www.iucf.org/SSS2010/presentations/day2/Wilson(Propagation).ppt)

Handwritten notes and diagrams:

- Static field diagram:** Shows a vertical wire with a voltage V and a distance r_m . The electric field is given as $E = \frac{V}{r_m}$. To the right, a circular diagram shows a vector E_0 in the horizontal plane and a vector i_m in the vertical plane, with a phase angle t .
- 2D wave diagram:** Shows a 2D wave with a wavelength λ and a phase angle θ . The electric field vector is labeled $E_0 e^{-j\omega t}$.
- 3D wave diagram:** Shows a 3D wave with a wavelength λ and a phase angle θ . The electric field vector is labeled $E_0 e^{-j\omega t}$.
- Frequency relationships:** $\omega = 2\pi f = 2\pi \frac{c}{\lambda}$. Below this, $f_2 = 2f_1$ and $f_h = hf_1$ are written.
- Other notes:** $20, 20, 150, 200 \leftarrow 50 \text{ Hz}$ and $\lambda \sim E \times H$ are written in green.

9/10/2015

$$P_{dB} = 10 \log_{10} \frac{P = \underline{20W}}{\underline{1W}}$$

Log ()
no unit

$$P_{dBm} = 10 \log_{10} \frac{P}{1mW}$$

Typical Mobile

$$P_T = 25W$$

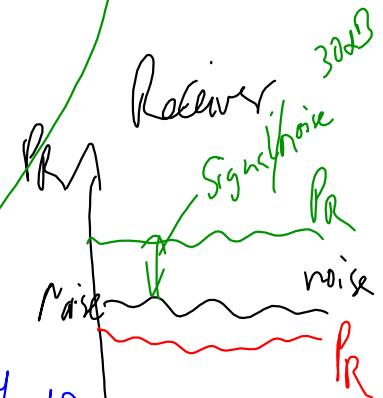
$$G_T = 14dB$$

$$G_R = 3dB$$

typical examples T_o Receive Power

$R = 0.1km, 1km, 3km, 10km$
 $f = 900MHz, 2.1GHz$
 $P_R = ?$

Shannon Capacity



Typical WLAN

$$G_T + P_T = 20dBm \text{ (rule!)}$$

$$G_R = 6dB$$

$f = 2.4, 5.2GHz$
 $R = 1, 10, 50m, 150m?$

$$P_{sens} GSM = -104dBm(?)$$

$$P_{sens} WITS = -112dBm(?)$$

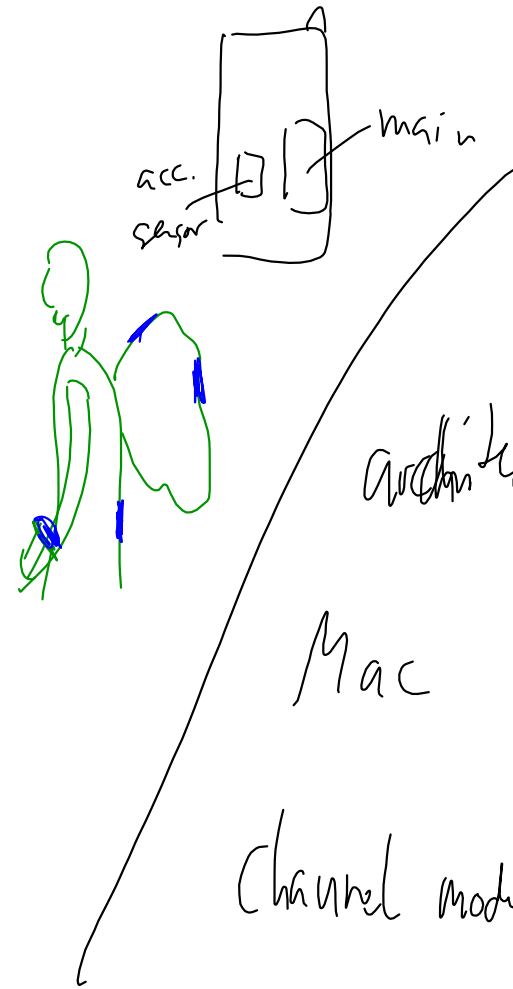
$$P_{sens} WLAN = -95dBm$$

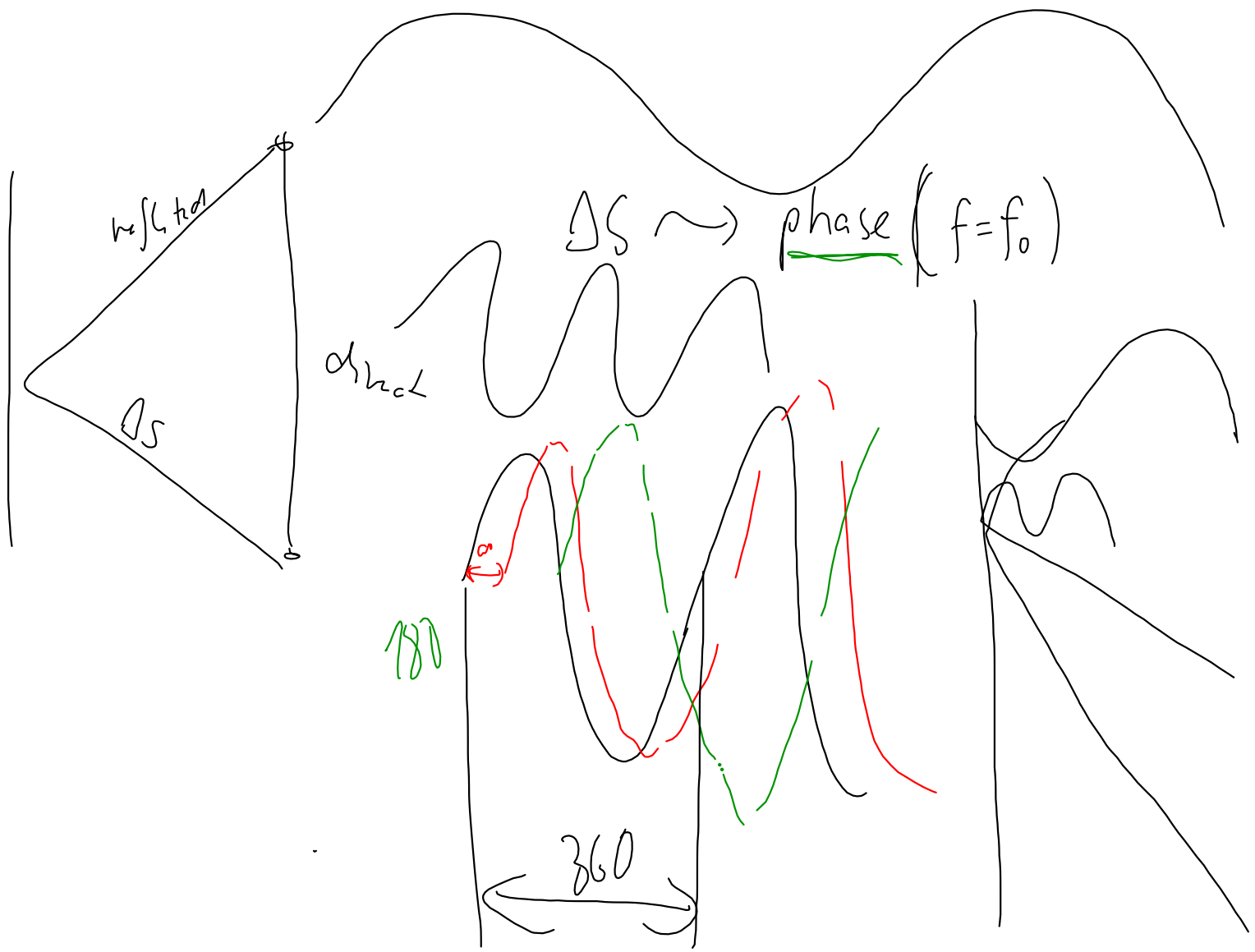
Shannon

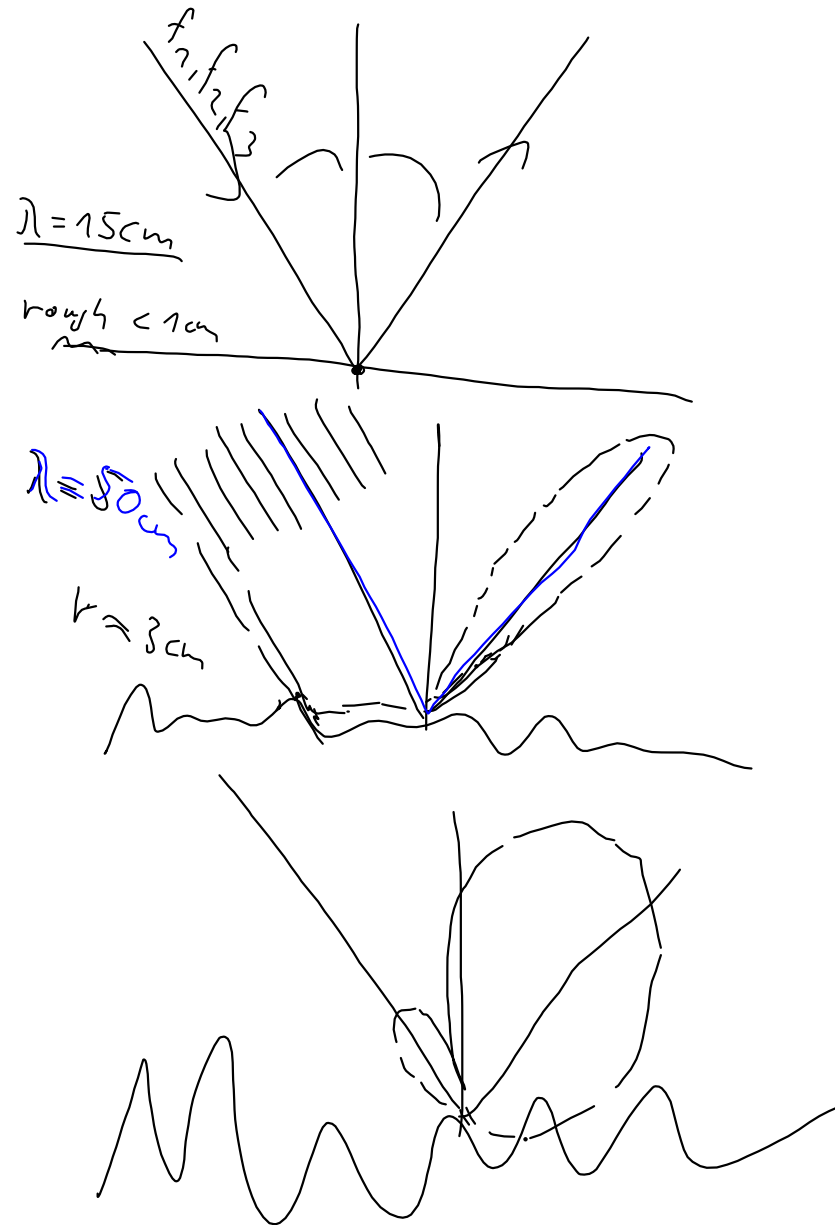
$$C = B \log_2 \left(1 + \frac{S}{N} \right)$$

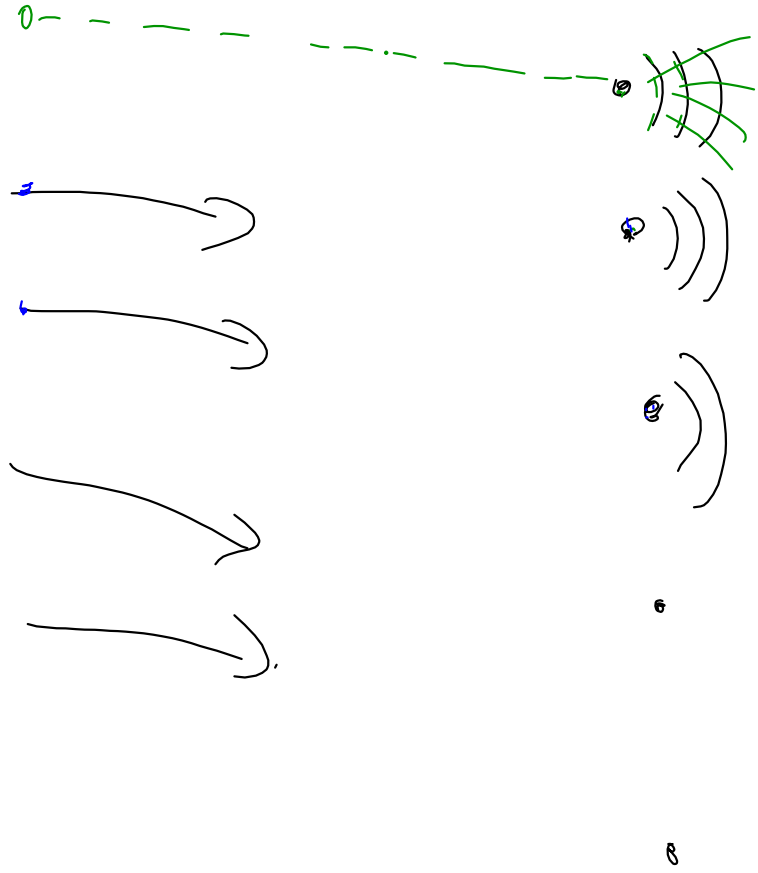
↑ Bandwidth
 results from $\frac{P}{P_{noise}}$

GSM
 GMS
 LTE
 Wj.

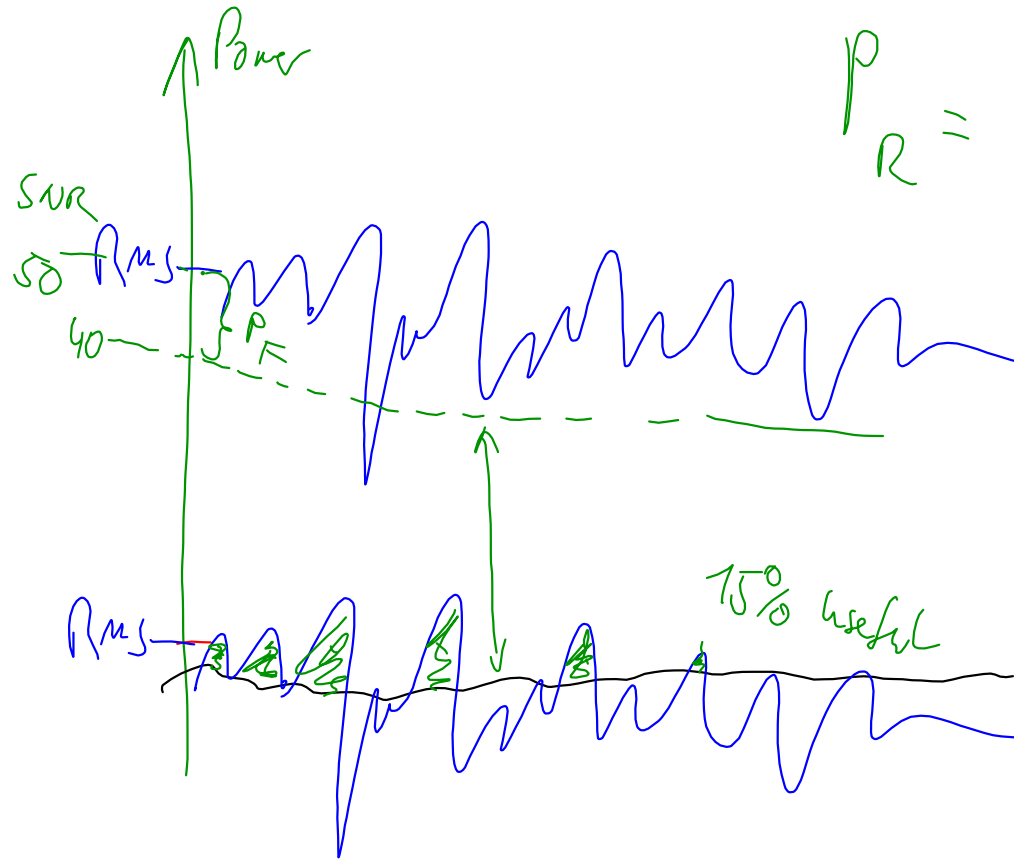








Effect of Signal to Noise (SNR)



$$P_R = P_T + G_T + G_R - L - P_F$$

Shannon:
 50 dB 300 Mb/s
 40 dB 250 Mb/s

Fading margin
 $P_F = 70 \text{ dB}$

4 dB noise level
 2 Mb/s
 0 dB noise level

Shannon

$$C = B \log_2 (1 + \text{SNR})$$

Q₁ Capacity increase
 Bandwidth
 80 kbit/s GSM/GPRS 200 kHz
 ~1.6 Mbit/s UMTS 3.8 MHz

~2 ... 16 Mbit/s LTE 2, 5, 20, 40 MHz
 ~8 Mbps WLAN b/g 20 MHz
 ~16 Mbps WLAN c 20+20

Q₁: Given a constant SNR, increase of Capacity C from GSM to ...

→ 28 Oct

← Watt ratio

Simplification

$P_{\text{sens}} = P_{\text{noise}}$ no traffic
 - 104 dBm
 - 116 dBm
 - 116 dBm?
 - 95 dBm
 - 95 dBm

SNR, Capacity ↓

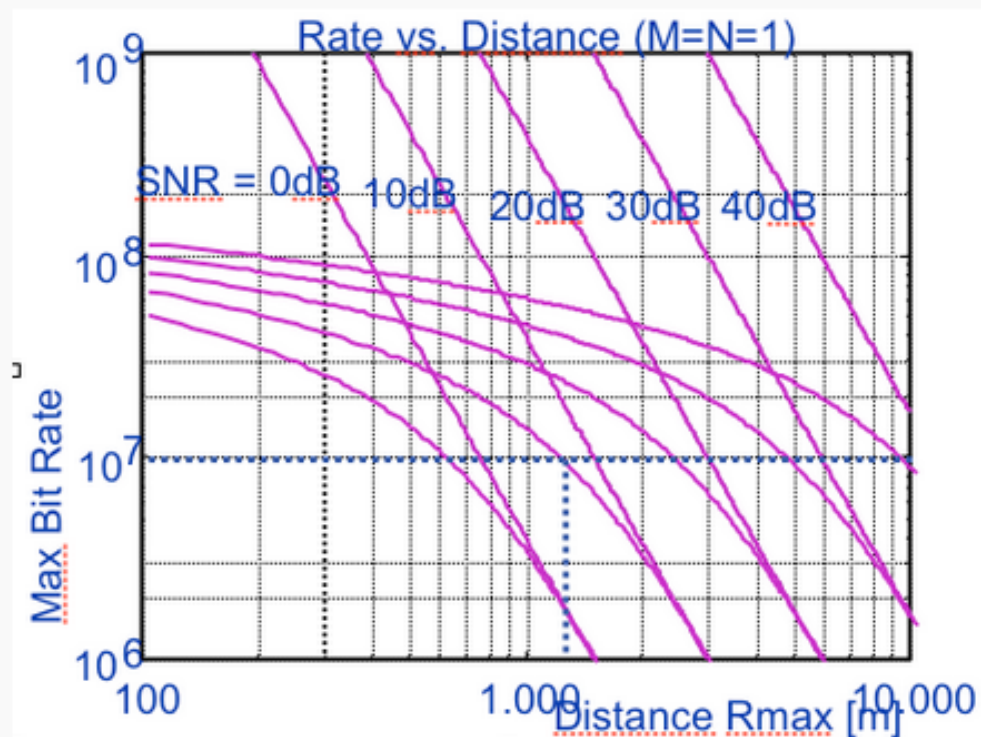
P _T	G _T dB	G _R
2W	3	14
25W	14	3
25W	14	3
100mW	3	
100mW	3	

⌘ MIMO laptop



Figure: A MIMO equipped laptop (Source:Valenzuela, BLAST project)

⌘ Range versus SNR



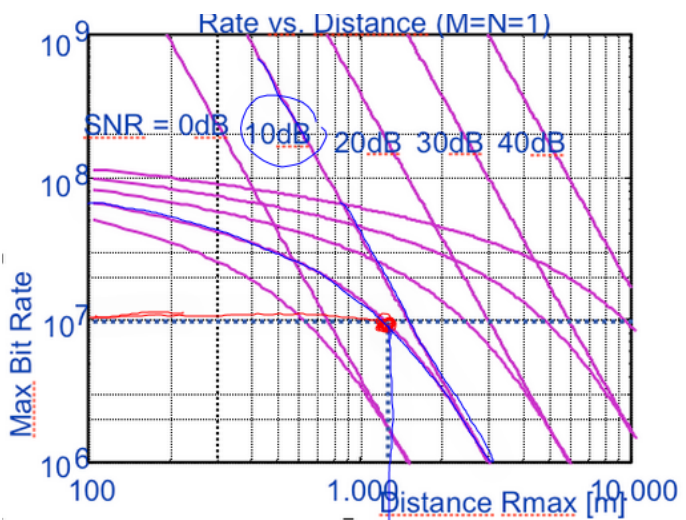
$$R_{\max} = \log_2(1 + SNR)$$

[Source:Valenzuela, BLAST project]

Lessons learned

Let's start What have we learned?

- antenna characteristics and gain
- what happens if I double the frequency (900 - 1800 - 2400 MHz)?
- minimum GSM receiver sensitivity
- *other questions related to radio?*



distance of 1km

10 Mbit/s $\approx 10^7$
 ↳ distance 1km

