

The period of wavelength occurrence is 1.06

3.5. - Energy, wavelength, frequency:

*Equations mode*

Electromagnetic energy is often referred to EM radiation. It is a form of radiant energy which some electromagnetic processes release. -

[https://en.wikipedia.org/wiki/Electromagnetic\\_radiation](https://en.wikipedia.org/wiki/Electromagnetic_radiation)

In equation form, this is:

$$E = (hc) / L$$

E = Energy

h = Planck's constant  $6.626 \times 10^{-34} \text{ J s} = 6.626 \text{ E-34 J s}$

c = the speed of light  $3.0 \times 10^8 \text{ m/s} = 3 \text{ E8 m/s}$

L = Lambda, the wavelength

Example:

How much energy does a light with a wavelength of 123nm has?

E = ?

h =  $6.626 \times 10^{-34} \text{ J s}$

c =  $3.0 \times 10^8 \text{ m/s}$

*J s*

L = 123nm

*SI*

$$E = ((6.626 \times 10^{-34} \text{ J s}) \times (3.0 \times 10^8 \text{ m/s})) / (123 \times 10^{-9} \text{ m})$$

$$E = ((6.626 \times \text{E-34 J}) \times (3.0 \times \text{E8})) / (123 \times \text{E-9})$$

$$E = 0.161609756 \times \text{E-35}$$

*Energy*

*Power*  $P = \frac{E}{T}$

3.6. - Voltage gain / loss – decibel calculations

In equation form, this is:

$$V_{dB} = 20 \log (V2 / V1) \quad (E_{dB} = 20 \log (E_2 / E_1))$$

dB = Decibels

V = Voltage

V1 = typically higher voltage (because we are looking for a delta or a change)

V2 = typically lower voltage

Example:

$$\text{dB} = 20 \log (V2 / V1)$$

$$\text{dB} = 20 \log (3000\text{mv} / 1000\text{mv})$$

$$\text{dB} = 20 \log (3) \quad (\log = \log_{10} (3) = 0.48) = 9.5$$

*not the same*

$$L = 123\text{nm}$$

$$E = ((6.626 \times 10^{-34} \text{ J} \cdot \text{s}) \times (3.0 \times 10^8 \text{ m/s})) / (123 \times 10^{-9} \text{ m})$$

$$E = ((6.626 \times 10^{-34} \text{ J}) \times (3.0 \times 10^8)) / (123 \times 10^{-9})$$

$$E = 0.161609756 \times 10^{-35} \text{ J}$$

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Example: W as compared to 1 mW

$$P_{dB} = 10 \log (P_2 / P_1) = 10 \log (1 \text{ W} / 10^{-3} \text{ W}) = 10 \log (10^3) = 10 \times 3 = 30$$

Answer: 1 W is 30 dB more than 1 mW

dB is used to measure a ratio or a factor

	$\frac{V}{W}$	Power	dB
$E_0$	1	Normal	0
$E_1$	10		20
$E_2$	100		40
$E_3$	1000		60
		2	20
		3	30
			$20 + 3 = 23$

log

$$a^b = c$$

$$2^3 = 8$$

$$\log_2 8 = 3$$

$$\log_a c = b$$

$$\left(\frac{\lambda}{4\pi r}\right)^2 \theta_0 \theta_c \rho$$

$$\textcircled{1} \log(a \times b) = \log a + \log b$$

$$\log c_1 + \log c_2 \cdot \log\left(\frac{\lambda}{4\pi r}\right)^2 + \log \rho$$

$$\log(10 \times 100) = \log 10 + \log 100$$

$$\log(1000) = 1 + 2 = 3$$

3

$$\textcircled{2} \quad \log(a)^b = b \log(a)$$

$$\log(10)^2 = 2 \log 10$$

$$\log_{100} = 2$$

$$\textcircled{3} \quad \log \frac{a}{b} = \log a - \log b$$



dBW

dBm = m watts

$$P_r = \frac{P_t}{4\pi R^2} G_T G_R \left( \frac{\lambda}{4\pi R} \right)^2$$

1000 mW

$$G = 6$$

$$dB = -100dB$$

$$dB_m = -70dB_m$$

$$10 \log P_r = 10 \log \left( P_t G_T G_R \left( \frac{\lambda}{4\pi R} \right)^2 \right)$$

$P_r [dB]$

$$= 10 \log \frac{P_t}{1 \times 10^3} + 10 \log G_T + 10 \log G_R + 10 \log \left( \frac{\lambda}{4\pi R} \right)^2$$

$P_r [dB]$

$$= P_t + G_T + G_R + 20 \log \frac{\lambda}{4\pi R}$$

$$= P_t + G_T + G_R - 52.4 + 20 \log f_{MHz} - 20 \log R_{km}$$

$P_t$	dBm	dB	Comments
100mW	20	-10	max Wifi
<u>2W</u>	33	3	GSM handset
25W	44	14	GSM Base station

$$10 \log P_t$$

$$10 \log \left( \frac{25}{1 \times 10^{-3}} \right)$$

$$10 \times 4.4$$

$$44$$

Example WiFi

$$P_t = 20 \text{ dBm}$$

$$G_t = 6 \text{ dB}$$

$$G_r = 3 \text{ dB}$$

$$P_{\text{sensitivity}} = -96 \text{ dBm}$$

$$P_r > P_{\text{noise}} + P_{\text{fade}} +$$
  
$$> -96 + 20$$

$$P_r > -76 \text{ dBm}$$

$$P_r = 20 + 6 + 3 - 92.4 - 20 \log(f) \left( \frac{G}{4\pi R^2} \right)^{7.6}$$
  
$$- 20 \log(R [\text{km}])$$

$$P_r = -84.8 - 20 \log(R [\text{km}])$$

distance	$P_r$	SNR
1 km	-84.8	$(-84 + 76) = -8$
0.1 km	-64.8	$(-64 + 76) = 12$
0.01	-44.8	$(-44 + 76) = 32$

otherwise  $N_0W + N_{interference}$ , where  $N_0 = k_B T_K$  with  $k_B$  as Boltzmann constant and  $T_K$  as temperature in Kelvin.

### Shannon - formula

$$C = W \log_2(1 + P/N) \text{ [bits/s]}$$

*Handwritten notes:*  
 $N_0W$   
 dB  
 SNR  
 $P/N$   
 $\log_2$   
 $10^{-0.7}$   
 $\sim 0.2$   
 $\log_2(1.2) \approx 0.26$   
 $C \sim 4 \text{ Mbit/s}$

Exercises 20 MHz

*Handwritten notes:*  
 $1 \text{ km} = -7$   
 $100 \text{ m} = 12$   
 $10 \text{ m} = 32$

- calculate capacity for  $W = 200 \text{ kHz}, 3.8 \text{ MHz}, 26 \text{ MHz}$ , (all cases  $P/N = 0 \text{ dB}, 10 \text{ dB}, 20 \text{ dB}$ )
- If the SNR is 20 dB, and the bandwidth available is 4 kHz, what is the capacity of the channel?
- If it is required to transmit at 50 kbit/s, and a bandwidth of 1 MHz is used, what is the minimum S/N required for the transmission

[source: Wikipedia, Teletronikk 2002]

### Comments

*Handwritten notes:*

$C = W \log_2(1 + \frac{P}{N})$		
$P/N = 1 \hat{=} 0 \text{ dB}$	(2)	$\log_2 1$
10 = 10 dB	11	$\approx 3.3$

*Handwritten notes:*

$2^0 = 1$	$\log_2 1 = 0$
$2^1 = 2$	$\log_2 2 = 1$
$2^2 = 4$	$\log_2 4 = 2$
$2^3 = 8$	

*Handwritten notes:*

$$\log_2(x) = \frac{\log(x)}{\log 2}$$



otherwise  $N_0W + N_{interference}$ , where  $N_0 = k_B T_K$  with  $k_B$  as Boltzmann constant and  $T_K$  as temperature in Kelvin.

### Shannon - formula

$$C = W \log_2(1 + P/N) \text{ [bits/s]}$$

*Handwritten notes:*  
 $1 \text{ km} = -7$   
 $100 \text{ m} = 12$   
 $10 \text{ m} = 32$   
 $\frac{P}{N} = 0.2$   
 $\log_2(1.2) \approx 0.26$   
 $10 \text{ V} \sim 0.2$   
 $C \sim 4 \text{ Mbit/s}$

Exercises

*Handwritten:* 20 MHz

- calculate capacity for  $W = 200 \text{ kHz}, 3.8 \text{ MHz}, 26 \text{ MHz}$ , (all cases  $P/N = 0 \text{ dB}, 10 \text{ dB}, 20 \text{ dB}$ )
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 $2^0 = 1$   
 $2^1 = 2$   
 $2^2 = 4$   
 $2^3 = 8$   
 $\log_2 1 = 0$   
 $\ln 2 = 1$   
 $\ln 4 = 2$

$$\ln_2(x) = \frac{\log(x)}{\log(2)}$$

Typical Mobile

$$P_T = 25W$$

$$G_T = 14dB$$

$$G_R = 3dB$$

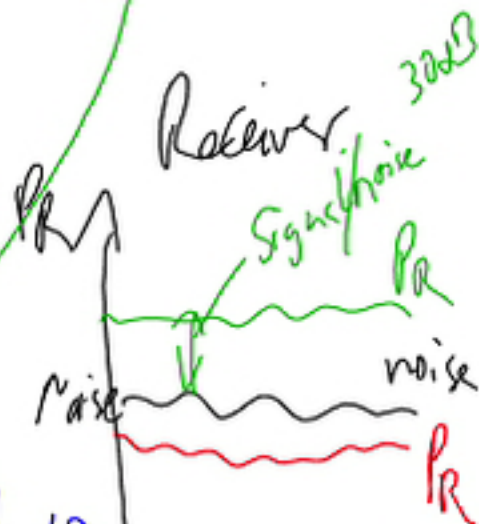
typical examples  $P_{\text{Receive Power}}$

$$R = 0.1km, 1km, 3km, 10km$$

$$f = 900MHz, 2.1GHz$$

$$P_R = ?$$

Shannon Capacity



Typical WLAN

$$G_T + P_T = 20dBm \text{ (rule!)}$$

$$G_R = 6dB$$

$$f = 2.4, 5.2GHz$$

$$R = 1, 10, 50m, 150m?$$

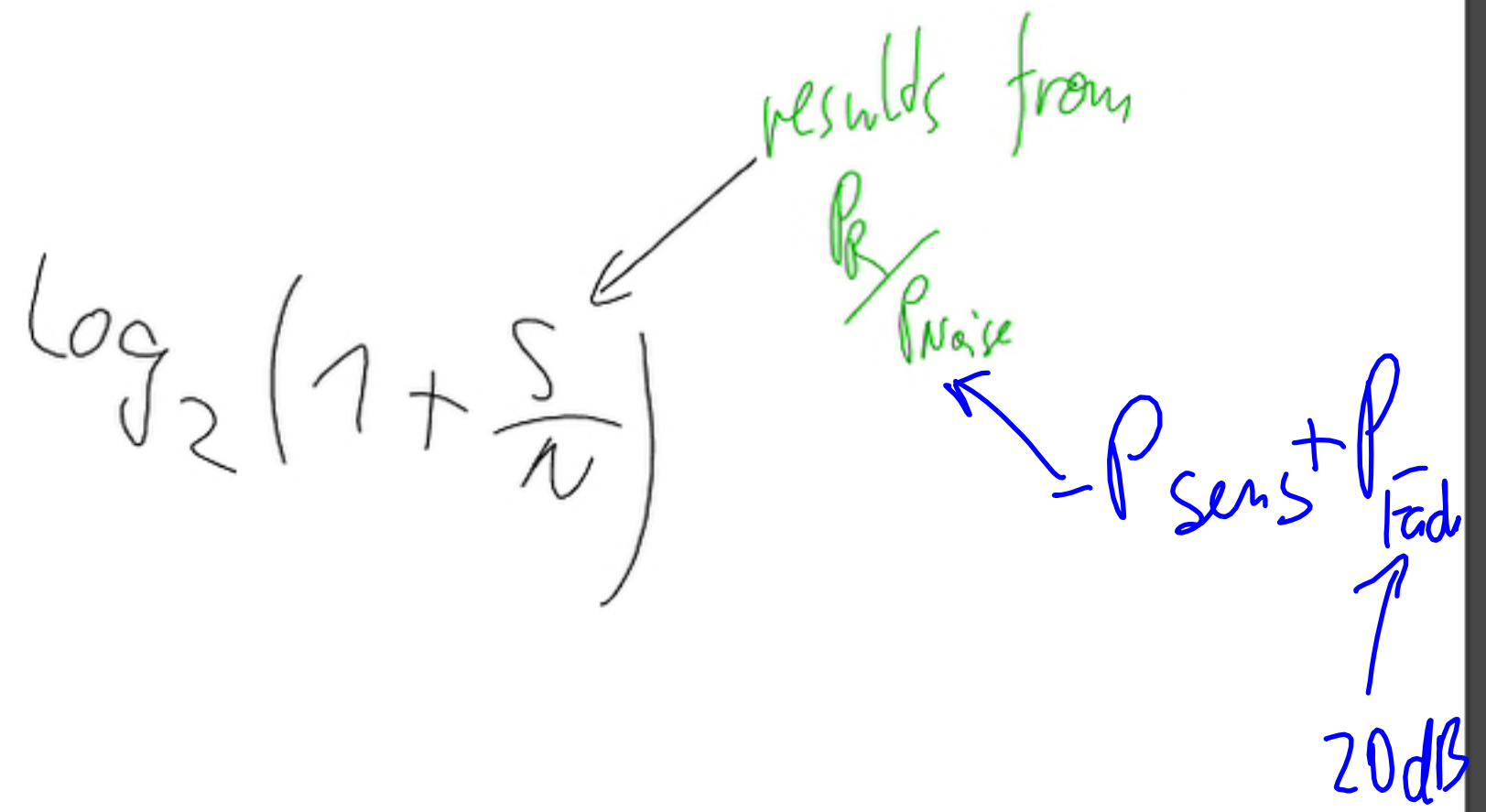
$$P_{\text{sens GSM}} = -104dBm(?)$$

$$P_{\text{sens WMTS}} = -112dBm(?)$$

$$P_{\text{sens WLAN}} = -95dBm$$

# Shannon

	$C = B$
	↑
	Bandwidth
GSM	$P_{sens}$
UMTS	-704
LTE	-716
Wij:	-110
	-95





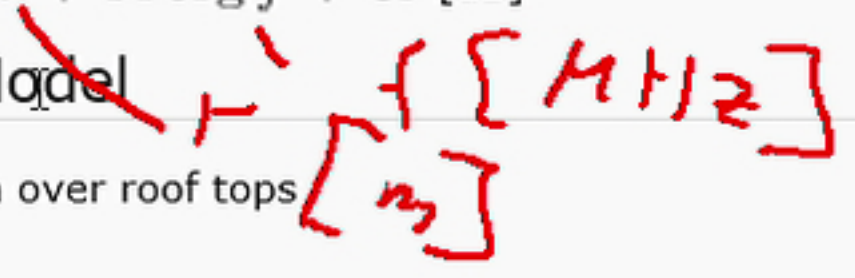
(Source:R Rækken, G. Løvnes, I elektronikk)

why almost equal distribution? What effect?

### ⌘ ETSI urban pedestrian

- Outdoor to indoor and pedestrian test environment, based on Non LOS (NLOS)
- Base stations with low antenna height are located outdoors, pedestrian users are located on streets and inside buildings and residences
- TX power is 14 dBm,  $f = 2000$  ~~MHz~~ MHz and  $r$  is distance in m
- Assumes average building penetration loss of 12 dB
- Path loss model:  $L_{pedest} = 40 \log r + 30 \log f + 49$  [dB]

### ⌘ COST Walfish-Ikegami Model



- taking into consideration propagation over roof tops
- assumes antennas below roof top
- Path loss model:  $L_{rooftop} = 45 \log (r + 20) + 24$  [dB]

### ⌘ Alternative Street Microcell Path-loss

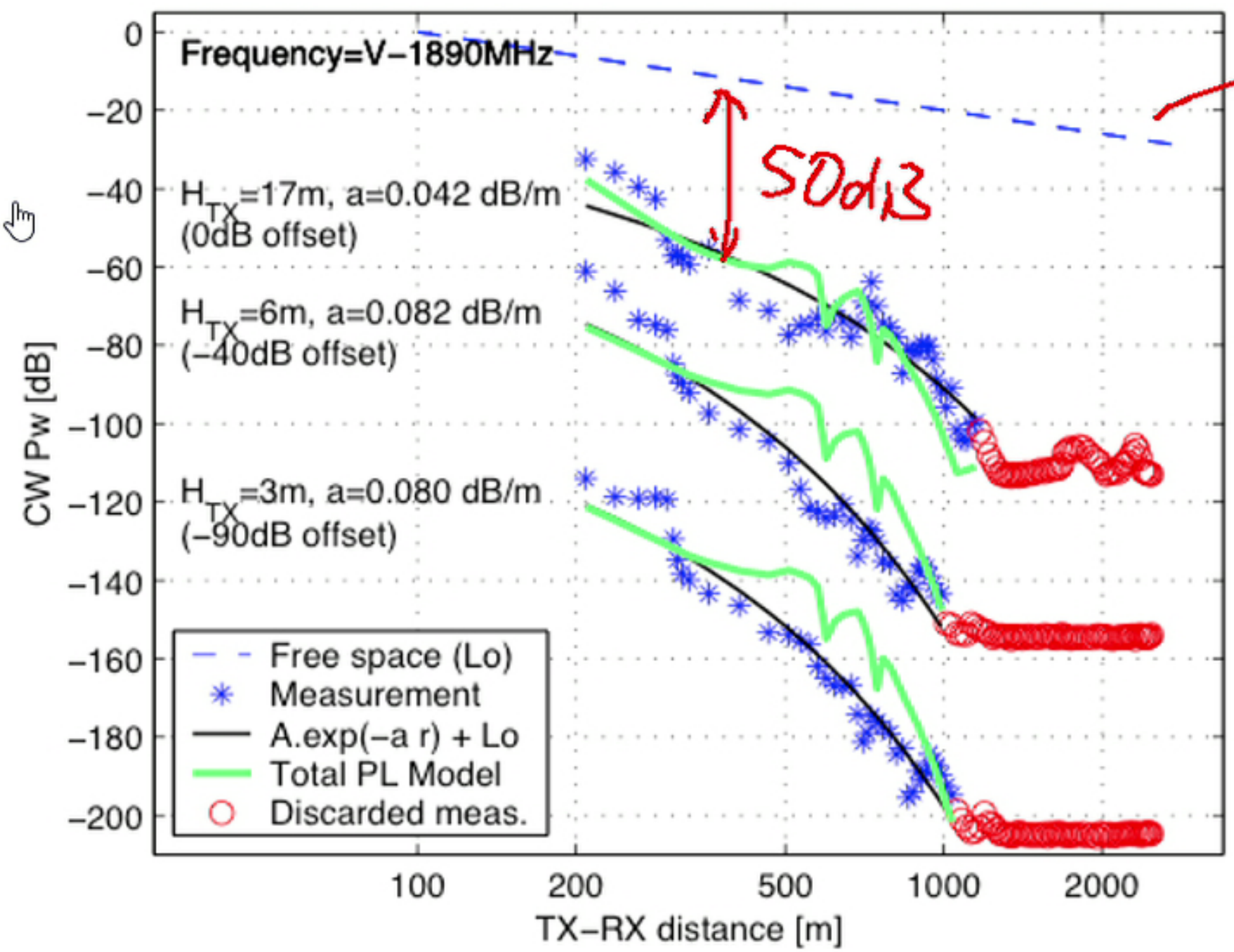
- Outdoor propagation, consists of "adding of paths"
- $c$  is angle of street crossing.  $c = 0.5$  for 90 deg crossing
- $k_0 = 1$  and  $d_0 = 0$
- Path loss model:  $L_{micro} = 20 \log \frac{4\pi d_n}{\lambda}$  [dB]
- illusory distance  $d_n = k_n s_{n-1} + d_{n-1}$  with  $k_n = k_{n-1} + d_{n-1} c$

### ⌘ ETSI vehicular

- larger cells (typical few km)
- TX power 24 dBm for mobile phone, transmit antenna height  $\Delta h$  over roof top (typical 15 m), distance  $r$  in km,  $f = 2000$  Unik/MHz



slightly hilly terrain

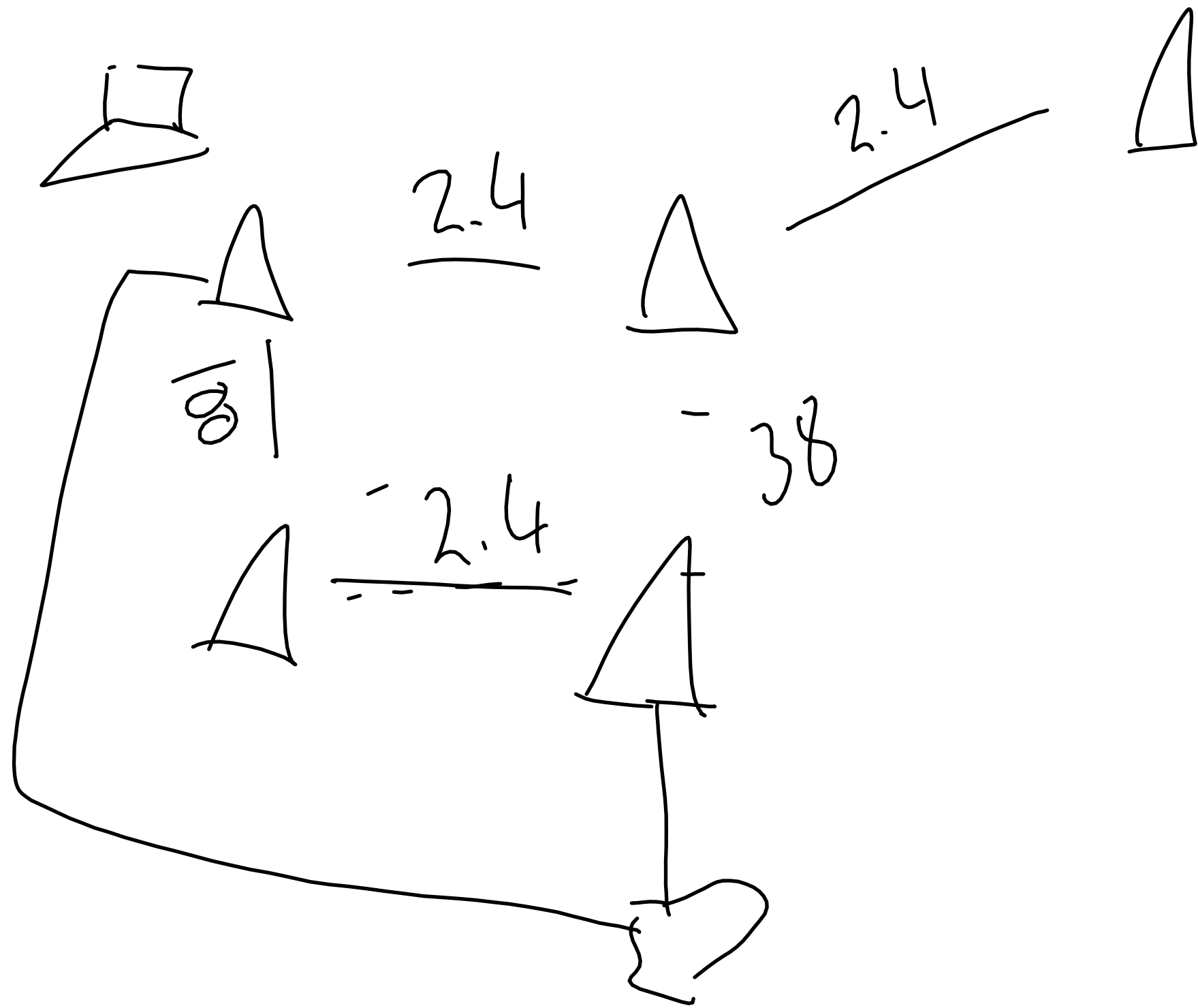


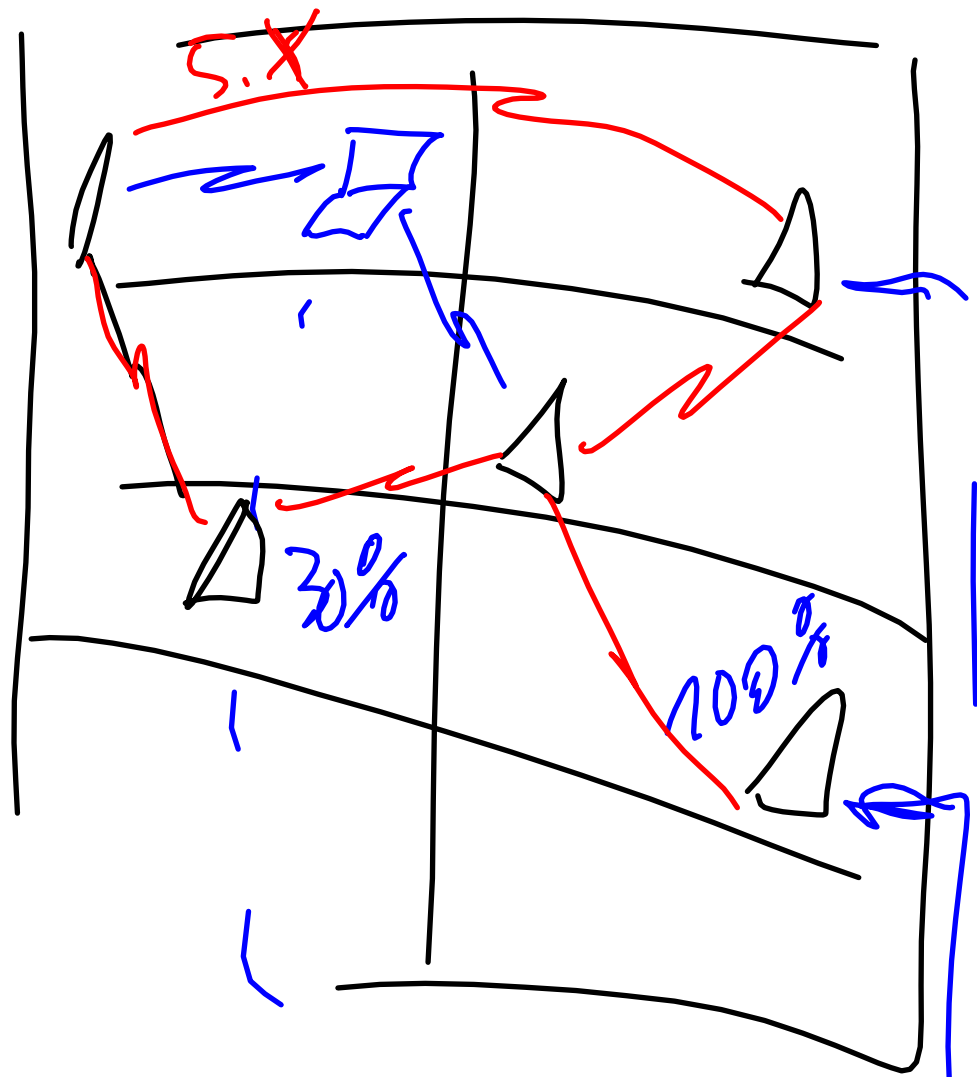
$$\left(\frac{\pi}{4\pi R}\right)^2$$

50dB

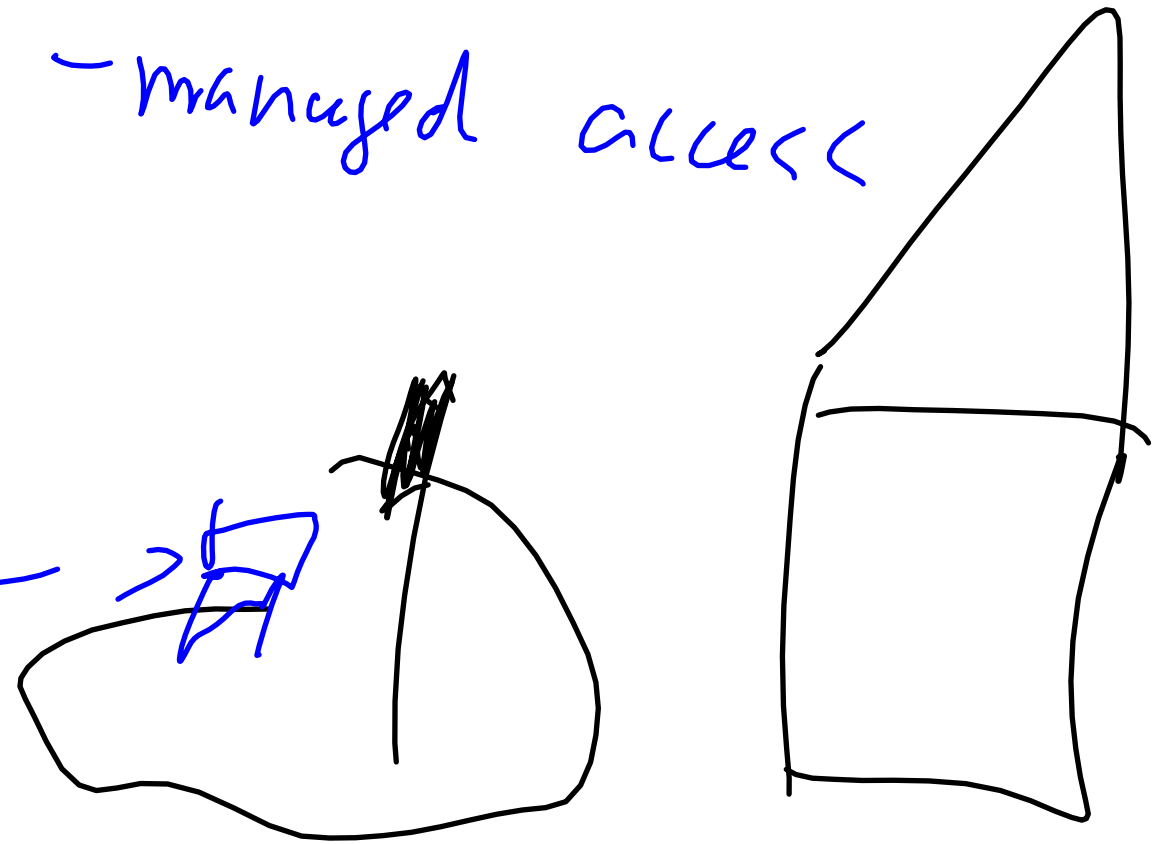
(Source: István Z Kovács Ph.D.Lecture,CPK, September6, 2002, p.27/45)

<http://cwi.unik.no/wiki/File:Kovacs1890MHz.png>

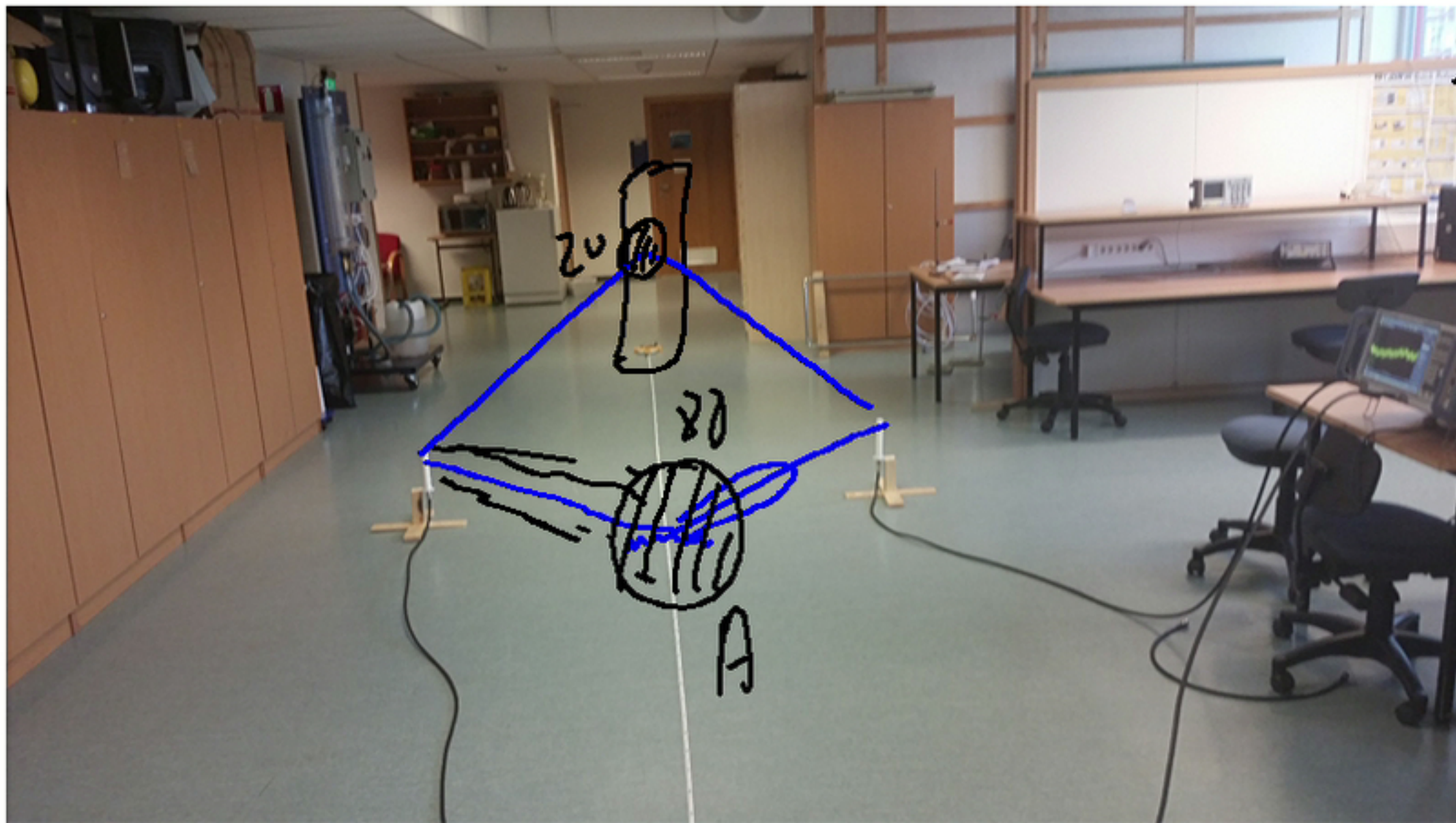




- adaptive radio
- interference
- managed access



# Setup



UTD

1) rays  
↳ area

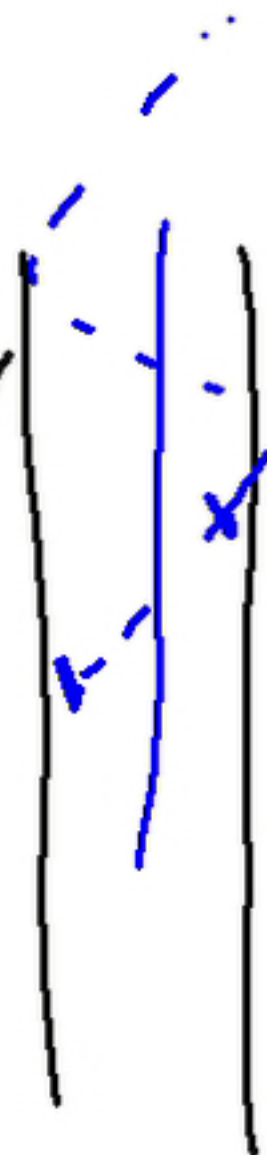
2) weight



# Setup



2.4 GHz  
40 x 40 absorber

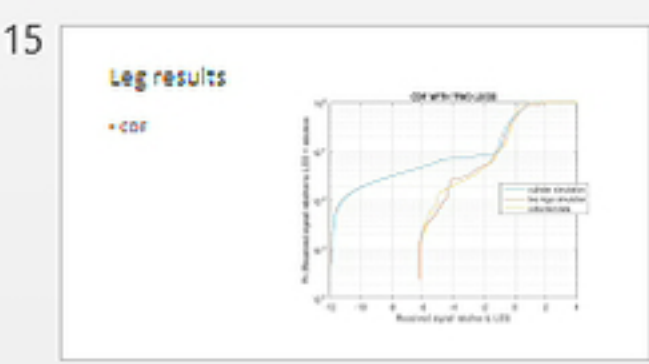
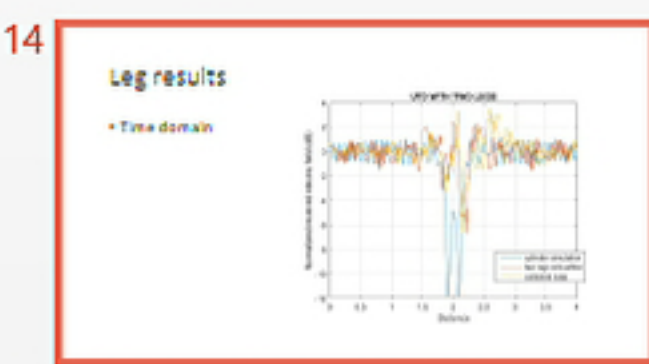
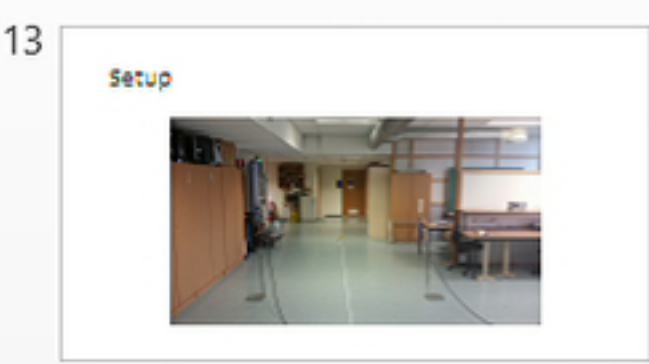
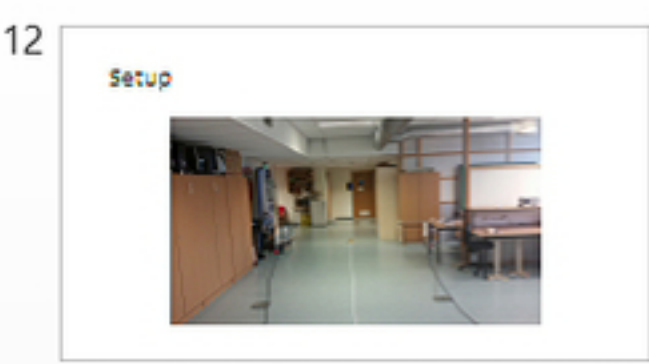


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# Leg results

- Time domain

### UTD WITH TWO LEGS

Distance	Cylinder simulation (dB)	Two legs simulation (dB)	Collected data (dB)
0.0	0.0	0.0	0.0
0.5	0.5	0.5	0.5
1.0	0.0	0.0	0.0
1.5	-1.0	-1.0	-1.0
2.0	-11.0	-11.0	-11.0
2.5	1.0	1.0	1.0
3.0	0.5	0.5	0.5
3.5	0.0	0.0	0.0
4.0	0.0	0.0	0.0

Click to add notes